Data Cleaning Lecture 13

Connor Dowd

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# Today's Class

- 1. Review
  - Ensembles
  - Boosting
- 2. Data Cleaning Basics
- 3. Dates
- 4. Wide vs long data
- 5. Merges/Joins
- 6. NAs, NaN, etc.
- 7. Predictions 2
  - CI vs PI
  - Sundays
  - My forecast
  - Ensemble Pls

## Review

Suppose I have two models: -  $M_1$  always predicts  $\hat{y}_1 = M_1(X) = \bar{y}$ -  $M_2$  uses p variables and linear regression to predict  $\hat{y}_2 = M_2(X) = \hat{\beta}_0 + \hat{\beta}_1 x_1 + ... + \hat{\beta}_p x_p$ 

These are not equivalently good.  $M_2$  is *likely* better (not always – see overfitting again).

We could plug them both into our naive average, and get a prediction.

The basic idea is that a single measure of the prediction errors of each model can help us generate the best weights.

The models with the smallest average errors should get the most weight, and the models with the largest average errors should get the least weight.

If you are minimizing MSE, this will look like weights which are proportional to the "precision" (aka the inverse of the variance).

## Procedure

- 1. Estimate K models  $M_1, ..., M_K$
- 2. Use cross-validation (k-fold) to estimate OOS errors for each model.
- 3. Calculate average OOS error  $MSE_k$  for each model.
- 4. Find weights  $\mathbf{w} \propto MSE_k$  such that  $\sum w_k = 1$
- 5. Make your predictions using those weights

This will be reasonably quick. For K models and m folds in the cross validation, you'll only need to fit Km models. The weights pop out analytically.

# Boosting

### Boosting – Ensembles 2

Boosting changes things up slightly. It says "we want to do a better job of predicting when we are wrong".

Thus far, we have been giving each tree slightly different data, and averaging across each tree.

But each tree still was optimizing the same thing – mean prediction  $\operatorname{error}^1$ :

$$\frac{1}{n}\sum_{i=1}^{n}l(\hat{y},y) = \frac{1}{n}\sum_{i=1}^{n}1(\hat{y}\neq y)$$

<sup>&</sup>lt;sup>1</sup>This could be MSE, etc depending on the model.

Some observations are harder to predict.

We want to build a model that predicts everything well.

We can give more weight to observations that are hard to predict.

$$\frac{1}{n}\sum_{i=1}^{n}1(\hat{y}\neq y) = \sum_{i=1}^{n}\frac{1}{n}1(\hat{y}\neq y)$$

The weights ideally sum to 1, but we need not have each weight be  $\frac{1}{n}$ . Feel familiar?

## Boosting Algorithm

- 1. Start with a class of models *F* (e.g. tree, glm, etc). And weights  $w_i = \frac{1}{n}$
- 2. Fit a model  $M_k$  in that class using those weights.
- 3. Find the prediction error for each observation from that model.
- 4. Increase the weights for observations where predictions were most wrong, decrease the weights for observations where predictions were most correct.
- 5. Repeat steps 2-4 until you've built K models.

Model  $M_K$  will be using weights based on how poorly each previous model did at predicting each observation.

## **Boosting Trees**

#### ggplot(grid,aes(x=x1,y=x2,col=preds1))+geom\_point()



## Boosting GAM

#### ggplot(grid,aes(x=x1,y=x2,col=preds3))+geom\_point()



Data Cleaning

## Data Cleaning 101

Rules:

1. Keep looking at the data

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- 2. Make small changes.
- 3. Test your changes before you overwrite variables.
- 4. Don't overwrite actual files unless you're certain.
- 5. Don't throw away potentially useful data.

#### Basics

What is data cleaning?

(A) We get raw data – which consists of all kinds of nonsense and structure

To get from  $A \rightarrow B$ , we may need to remove some structure, build our own structure, deal with missing values, get rid of irrelevant data, add in relevant variables, deal with sampling design, and more. This is cleaning.

#### Basics

What is data cleaning?

- (A) We get raw data which consists of all kinds of nonsense and structure
- (B) We want to have a matrix x to model an outcome y with. To get from  $A \rightarrow B$ \$, we may need to remove some structure, build our own structure, deal with missing values, get rid of irrelevant data, add in relevant variables, deal with sampling design, and more. This is cleaning.

## Formats

# CSVs aren't everything

Data you want comes in many forms.E.g. See SCF

- flat: CSV, arrow, parquet, etc
- compressed: .zip, .RData, etc
- proprietary: .xlsx, STATA, SAS, etc
- Internet-standards (scraped): html, json, etc

Converting between these is non-trivial and critical.

But there are mostly packages for this – so a google search will typically solve your problems, and I'll assume you can get to a data.frame or two. Most other non-trivial data formats are an entire courses worth of material. E.g.How to deal with:

- paragraphs of text
- Images

At a high level. My advice for those situations *at the moment* is to train a model (or borrow a pre-trained one) that can deal with those things.

For example, Images are really just a matrix with a color at each point. Detecting a face or something in that matrix is well explored at this point, and well beyond what we can cover here.

- We can use other people's plug-and-play models for face detection as inputs.
  - E.g. run that model to determine "is there a face", then use "face-presence" as a variable.

Text models are similar. Well explored, mostly beyond the time we have in this course. But you can take someone else's sentiment analysis, or subject analysis as an input to your models very easily.

I want you to see models as building blocks. We have some goal, we can combine 10 models to build inputs that we throw into an 11th model to help us with our goals.

- 1. This is a multi-step thing.
- 2. Most of the time, good use of data involves doing a good job constructing other pieces from it.

## Dates

#### Seconds since 1970

Most dates are stored as an integer value representing the number of seconds since 12:00:00 AM on Jan 1, 1970.

```
time = Sys.time()
time
```

## [1] "2021-05-11 12:39:32 CDT"

as.integer(time)

## [1] 1620754772

#### Days since 1970

```
date = Sys.Date()
date
```

```
## [1] "2021-05-11"
```

```
as.integer(date)
```

## [1] 18758

This is the number of days since Jan 1, 1970.

#### Advantages

The great thing about setting up variables like this, is that we can easily determine the gap between two dates.

```
newtime = Sys.time()
newtime-time
```

## Time difference of 0.009299994 secs

That is how long it took to run the code in the middle there. Beyond this – it is also a specific, definitely identified time.

#### Problems

I don't care about the number of seconds or days since 1970.

For basically this reason, dates are notorious to work with. They are usally stored in a format which is focused on being good at things that we don't care about.

Subsecond accuracy also going to require other things...

## Other Formats

You may be used to this format:

```
date = "2021-05-11 8:05:32 AM"
is.character(date)
```

## [1] TRUE

This is a character. I can understand what it is saying, but it can't be added and subtracted.

Moreover, it is underidentified.

- Is this date in November or May? Need more info.
- Is this time during Business hours in NYC?
  - Need timezone info.
  - Including Daylight Savings

#### Dates in R

Tidyverse has the only good package for working with dates I've encountered.

```
library(lubridate)
```

Package comes with a host of useful functions for dealing with dates. E.g. I can convert characters to "Dates".

```
date = "2021-05-11"
ymd(date) #This doesn't look different, but it is.
```

```
## [1] "2021-05-11"
```

### Example

as.integer(ymd(date))

## [1] 18758

as.integer(date)

## Warning: NAs introduced by coercion

## [1] NA

## Example: CDC Data

Posted Data from my prediction

```
cases = read_csv("https://codowd.com/bigdata/predictions/cd
```

```
##
## -- Column specification ------
## cols(
## State = col_character(),
## Date = col_character(),
## 'New Cases' = col_double(),
## '7-Day Moving Avg' = col_double()
## )
```

head(cases\$Date)

## [1] "May 6 2021" "May 5 2021" "May 4 2021" "May 3 2021"
## [6] "May 1 2021"

#### Example

cases = cases %>%
 mutate(Date=mdy(Date))
head(cases\$Date)

## [1] "2021-05-06" "2021-05-05" "2021-05-04" "2021-05-03"
## [6] "2021-05-01"

head(as.integer(cases\$Date))

## [1] 18753 18752 18751 18750 18749 18748
#### Example

```
I care about the day of week – going to focus on Sundays
```

```
cases = cases %>%
  mutate(dow = wday(Date))
head(cases$dow)
```

```
## [1] 5 4 3 2 1 7
```

These are "Thurs", "Weds", "Tues", "Mond", "Sun", "Sat" respectively.

Other functions for year, month, etc.

cases = cases %>% mutate(months = month(Date))
head(cases\$months)

## [1] 5 5 5 5 5 5

#### **Fixed Effects**

We haven't discussed Fixed Effects.

But if you wanted Month and Year fixed effects, using the month and year functions to create columns, converting those columns to factors and using those factors as inputs would do it.

```
cases = cases %>% mutate(years = year(Date))
head(cases$years)
```

## [1] 2021 2021 2021 2021 2021 2021

#### **Fixed Effects**

But if you wanted Month by Year (AKA Month x Year) fixed effects, you need to combine both.

cases = cases %>% mutate(m\_y = paste0(months,"-",years))
sample(cases\$m\_y,5)

## [1] "7-2020" "10-2020" "8-2020" "3-2020" "2-2021"

That will give us a character again. Which can become a factor, etc.

Wide vs Long

A reasonably common data structure is known as 'panel data'. In this setting, we have a number of units (e.g. States) which we observe. We also have a number of times at which we observe those units. There are some number of variables we observe.

There are many ways you could store this information.

#### Wide

Wide makes each unit a column and each time a row. Then it stores our variable of interest in the cells.

```
cigs = read_csv("cigarettes.csv")
cigs
```

##	# I	A tibb	le: 31	x 40						
##		year	AL	AR	CA	CO	CT	DE	GA	I
##		<dbl></dbl>	<dbl< td=""></dbl<>							
##	1	1970	89.8	100.	123	125.	120	155	110.	108
##	2	1971	95.4	104.	121	126.	118.	161.	116.	108
##	3	1972	101.	104.	124.	134.	111.	156.	117	109
##	4	1973	103.	108	124.	138.	109.	155.	120.	111
##	5	1974	108.	110.	127.	133.	112.	151.	124.	116
##	6	1975	112.	115.	127.	131	110.	148.	123.	120
##	7	1976	116.	119.	128	134.	113.	153	126.	124
##	8	1977	117.	123.	126.	132	117.	153.	128.	126
##	9	1978	123	127.	126.	129.	118.	156.	131.	127
шш	10	1070	101	100	100	120	117	150	101	104

#### Long

Long has many rows. In particular, if there are n units, T times, and 1 variable we observe, Long has nT rows and 3 columns.

cigs\_long

##	# A	tibb]	Le: 1	1,209	9 x 3	
##		year	Stat	te pi	irchas	ses
##	•	<dbl></dbl>	<ch< th=""><th><u>c&gt;</u></th><th><db< th=""><th>)1&gt;</th></db<></th></ch<>	<u>c&gt;</u>	<db< th=""><th>)1&gt;</th></db<>	)1>
##	1	1970	AL		89	9.8
##	2	1970	AR		100	).
##	3	1970	CA		123	3
##	4	1970	CO		125	5.
##	5	1970	СТ		120	)
##	6	1970	DE		155	5
##	7	1970	GA		110	).
##	8	1970	IA		108	3.
##	9	1970	ID		102	2.
##	10	1970	IL		125	5.
##	#		-h 1	100	moro	roug

#### Converting Wide-to-Long and back

There are *many* different ways to pivot. Tidvyverse has a number of builtin tools. You could write something to do it by hand. Etc.

### Complications

That looked nice and smooth.

As soon as you have complications, like missing values, or other nonsense, it gets worse.

 $\mathsf{Merges}/\mathsf{Joins}$ 

Sometimes you have two different sources of information.

E.g. Zillow home data – we have a pile of characteristics for each home. We also have sale prices and sale dates for each home.

Why are these separate?

## Looking at Zillow Data

sales

##	# A	tibble:	90,275 x	3
##		parcelid	logerror	transactiondate
##		<dbl></dbl>	<dbl></dbl>	<date></date>
##	1	11016594	0.0276	2016-01-01
##	2	14366692	-0.168	2016-01-01
##	3	12098116	-0.004	2016-01-01
##	4	12643413	0.0218	2016-01-02
##	5	14432541	-0.005	2016-01-02
##	6	11509835	-0.270	2016-01-02
##	7	12286022	0.044	2016-01-02
##	8	17177301	0.164	2016-01-02
##	9	14739064	-0.003	2016-01-02
##	10	14677559	0.0843	2016-01-03
##	#.	with 9	90,265 moi	re rows

Each place could be sold multiple times.

### Looking at Zillow Data

prop

##	# A	tibble:	2,985,217 x 58		
##	р	arcelid	airconditioning~	architecturalst~	basements
##		<dbl></dbl>	<dbl></dbl>	<lgl></lgl>	<dl< th=""></dl<>
##	1 1	2544196	NA	NA	
##	2 1	2864620	NA	NA	
##	31	3113622	NA	NA	
##	4 1	1031288	NA	NA	
##	51	4223664	NA	NA	
##	61	1626844	1	NA	
##	71	7101366	NA	NA	
##	8 1	1512387	NA	NA	
##	91	3883603	NA	NA	
##	10 1	3133189	NA	NA	
##	#	. with 2	2,985,207 more rot	vs, and 53 more va	ariables: N
##	#	building	gclasstypeid <dbl< th=""><th>&gt;, buildingquality</th><th>ytypeid <dł< th=""></dł<></th></dbl<>	>, buildingquality	ytypeid <dł< th=""></dł<>
##	#	calculat	tedbathnbr <dbl>,</dbl>	decktypeid <dbl></dbl>	, finished

But we want to use the characteristics to predict sales qualities. So we need all the data combined.

This is a merge.

Merge Problems: Non-perfect Match

nrow(prop)

## [1] 2985217

nrow(sales)

## [1] 90275

We do not have a sale for every property. In many situations, we may not have property characteristics for every sale (not a problem here).

## Merge Problems: Non-perfect Match

In this case, we don't care about non-matched properties. We want a training data set. We will subset to the data in the sales (our outcome).

Sales data without characteristics would pose a larger concern. But only accepting "matched" values helps.

# Merge Problems: Duplicates

sum(duplicated(sales\$parcelid))

## [1] 125

And we have some duplicates.

The easiest thing to do with duplicates is to throw them away.

# STOP

Throwing away duplicates could cause problems. What kind of problems?

If homes that sell frequently are fundamentally different from those that don't, and are important to our target questions, then throwing them out may bias our whole procedure.

What then? Keep all sales if it won't break your model.

### Joins

There are a few basic Joins between Data A and B:

- Left Join: Keep all data in A, add in data from B when available.
- Right Join: Keep all data in B, add in data from A when available
- ▶ Inner Join: Keep all observations that are in both A and B
- Outer Join: Keep all observations. Set NA for missing columns for data that isn't in both datasets.

We can't build a model using characteristics to predict sales errors without data in A and B, so we want an inner join.

# Joining

data = inner\_join(sales,prop,by=c(parcelid="parcelid"))
data

##	# 4	A tibble:	90,275 x	60		
##		parcelid	logerror	${\tt transactiondate}$	airconditioning~	a
##		<dbl></dbl>	<dbl></dbl>	<date></date>	<dbl></dbl>	<
##	1	11016594	0.0276	2016-01-01	1	N
##	2	14366692	-0.168	2016-01-01	NA	N
##	3	12098116	-0.004	2016-01-01	1	N
##	4	12643413	0.0218	2016-01-02	1	N
##	5	14432541	-0.005	2016-01-02	NA	N
##	6	11509835	-0.270	2016-01-02	1	N
##	7	12286022	0.044	2016-01-02	NA	N
##	8	17177301	0.164	2016-01-02	NA	N
##	9	14739064	-0.003	2016-01-02	NA	N
##	10	14677559	0.0843	2016-01-03	NA	N
##	# .	with 9	90,265 moi	re rows, and 55 m	nore variables: ba	ISe
##	#	bathroom	ncnt <dbl></dbl>	>, bedroomcnt <db< td=""><td>ol&gt;, buildingclass</td><td>t</td></db<>	ol>, buildingclass	t

How did we do this?

We had a unique ID for each property. The parcelid. This ID was present in both datasets. So if we saw the same ID in each dataset, we knew the property was the same and we could match it.

Sometimes this happens. And when it does, it becomes very easy to combine information across different sources.

- ► IDFA: unique ID for each apple device
- SSN: unique ID for most US taxpayers
- URL: unique ID for most websites
- ▶ IP Address: unique ID for most web-capable devices

# IDs pt 2

But often we don't have this information for some of the data we are using.

Methods:

- 1. Try to reconstruct an Identifier.
  - SSNs historically were relatively easy to identify if you knew birthdate and place of birth.
- 2. Match on other dimensions.
  - Maybe you don't observe SSN in any of your data. Or place of birth.
  - But you see a billing address, a name, and a phone number.
  - We can match on those dimensions too.

Matching on other characteristics becomes tricky. The ideal is to say you have a match when multiple characteristics are all identical. In practice, even this is unlikely.

- Is "Connor Dowd" the same as "Connor J Dowd", or "Connor M Dowd" or "connor dowd"?
- Billing addresses may leave off apartment numbers, etc.
- One of the datasets may be missing one or more details. Does "1(800)333-2283" = NA?

But these things add up. Even if the address is an apartment building with 5k people in it, you've narrowed things down from 7 billion to 5k. Now how many are named "Connor" or "Dowd"?

Matching on these things rapidly becomes more art than science. There are many resources I can point you to if you have more Qs.

### Privacy In two minutes

Privacy in data is mostly out of bounds for this class.

- If you are publishing data, you need to be careful about what you include that people could use to match with.
  - "Anonymising" by dropping e.g. names, is not enough
- The recommended procedure is to add some noise to your data before publishing if you're worried
  - E.g. Randomly change 2 digits in each phone number, randomly adjust numbers by small amounts, randomly drop some data and add in a few fake data points

# $\mathsf{NAs}$

Usually NA denotes missingness. We don't know whether or not home 1235532 has a fireplace. So we don't put TRUE and we don't put FALSE, we put NA.

Once again, much like duplicates, the standard advice is to drop observations with some NA values.

# Dropping NAs

Dropping NA observations tends to be justified by the following assumption:

The data is missing at random

That is – the observations where we don't know are more like a clerical error than a selection issue. It is not that missing observations are fundamentally different, it is that someone forgot to check a box.

This is frequently implausible.

### Dropping NAs Nevertheless

Even under that assumption, dropping those observations can be devastating to your sample size.

data %>% drop\_na()

## # A tibble: 0 x 60 ## # ... with 60 variables: parcelid <dbl>, logerror <dbl> ## # transactiondate <date>, airconditioningtypeid <dbl> architecturalstyletypeid <lgl>, basementsqft <dbl>, ## # bedroomcnt <dbl>, buildingclasstypeid <dbl>, bui ## # ## # calculatedbathnbr <dbl>, decktypeid <dbl>, finished: ## # calculatedfinishedsquarefeet <dbl>, finishedsquarefe ## # finishedsquarefeet13 <dbl>, finishedsquarefeet15 <dl ## # finishedsquarefeet50 <dbl>, finishedsquarefeet6 <dbl ## # fireplacecnt <dbl>, fullbathcnt <dbl>, garagecarcnt ## # garagetotalsqft <dbl>, hashottuborspa <lgl>, heating ## # latitude <dbl>, longitude <dbl>, lotsizesquarefeet ## # poolsizesum <dbl>, pooltypeid10 <lgl>, pooltypeid2 · шш ш 

# Dropping NAs

#### colMeans(apply(data,2,is.na))[1:24]

##	parcelid	logerro
##	0.00000000	0.0000000
##	transactiondate	airconditioningtype
##	0.00000000	0.68118526
##	architecturalstyletypeid	basementsq
##	1.00000000	0.99952367
##	bathroomcnt	bedroomc
##	0.00000000	0.0000000
##	buildingclasstypeid	buildingqualitytype
##	0.999822764	0.36456383
##	${\tt calculatedbathnbr}$	decktype
##	0.013093326	0.99271116
##	finishedfloor1squarefeet	${\tt calculatedfinishedsquarefee}$
##	0.924054279	0.00732207
##	finishedsquarefeet 12	finishedsquarefeet
##	0.051830518	0.99963445

### NAs

Some of those columns *were entirely missing observations*. We can probably ditch those columns.

But some of them just had a lot of missing observations. Like fireplacecnt, which is missing in 89% of homes.

It seems likely that it is not missing at random.

table(data\$fireplacecnt,useNA="ifany")

##						
##	1	2	3	4	5	<na></na>
##	8165	1106	312	21	3	80668

It seems likely that people without fireplaces didn't enter a number for fireplace count. Dropping those observations would be a mistake. Most of them are just 0s. Instead, what you should do is try to also model the NAs.

For some model types and variables this is difficult. We could probably just make NA a 0 for fireplacecnt. But what about for airconditioningtype which is just a factor anyhow? Or for Square footage, where it definitely exists? For factor variables, this is straightforward. Just make one of your levels "NA". But what about Square footage?

A good rule of thumb *can* be to replace NA with a value that is impossible. E.g. replace NA with -1 for square footage.

- 1. This will be easily spotted by others using the data, so you don't screw them up.
- 2. For flexible model types, the model can now just try to make predictions when square footage is negative.
  - E.g. for tree/forest model or KNN, if the model wants it can easily partition those observations away from everything else.

#### NAs

```
na_helper = function(x) {
  if (is.factor(x)) {
    levels(x) = c("-1", levels(x))
    x[is.na(x)] = -1
  }
  if (is.logical(x)) {
    x = x * 1
    x[is.na(x)] = -1
  }
  if (is.character(x)) {
    x[is.na(x)] = "-1"
  }
  if (is.numeric(x)) {
    x[is.na(x)] = -1
  }
  х
```
```
prop2na = prop2 %>% mutate(fips = as.numeric(fips))
prop2na = prop2na %>% mutate(across(where(is.character),as
prop2na = prop2na %>% mutate(across(everything(),na_helper)
```

This will not work as well for a linear model – where its predictions for square footage –1 affect its predictions for square footage of 2000.

## Predictions 2

#### My forecast

My forecast was very straightforward.

small = cases %>% filter(dow == 1 | dow == 5) #Pull out The small %>% filter(Date > "2021-04-25") %>% select('New Cases

37885\*(44766/60196)

## [1] 28173.96

## Log Diff-in-Diff

Diff in Diff says that the change between April 29th and May 6th is going to be the same as the change between May 2 and May 9. This is a presumption that the trends hold.

Log Diff-in-Diff says that the percent change from April 29th to May 6th will be the same as the percent change from May 2 to May 9.

```
logdiff = log(44766)-log(60196)
logsun = log(37885)
logpred = logsun + logdiff
pred = exp(logpred)
pred
```

## [1] 28173.96

I also checked to see if the log diff-in-diff model using Thursday's 7-day averages was better. It wasn't.

This was *extremely* easy to do out of sample *because* there was nothing estimated. Each week, I purely take 3 numbers from the prior 8 days to predict sunday.

Additionally, this was automatically adaptive to sundays. Its a week-on-week change times the last sunday. Any "sunday fixed effect" gets incorporated automatically.

#### Sundays are Important

A lot of models looked tuned to predict an average next day (or 3rd day away), rather than a Sunday.

ggplot(cases,aes(x=Date,y='New Cases',fill=dow==1))+
 geom\_col(size=0.1)



There was no real wrong answer here. I decided that I would use the 20th percentile for my prediction. A lot of people seemed to have similarly ad hoc procedures.

predicting is different in competitions

But a big difference was confidence interval percentiles vs predictive interval percentiles.

## CI vs PI

Let me illustrate the difference with some made up data.

```
n = 100
x = rnorm(n)
y = rnorm(n)+2*x
df = data.frame(x=x,y=y)
```

```
ggplot(df,aes(x=x,y=y))+
geom_point()+
geom_smooth(method="lm",se=T)
```

## 'geom\_smooth()' using formula 'y ~ x'



#### Probabilities

When you have an unbiased distribution of errors (i.e. out-of-sample distribution) for a model, getting event probabilities becomes somewhat straightforwards.

Take your prediction. Add those errors. See how often thing happens.

Almost all of you did something like this. Well done.

What do you do if you have 10 models though? Find probability *under* each model – then combine.

- 1. Build each model.
- 2. Get honest error distributions for each model.
- 3. Predict P[event] given error distributions for each model
- 4. Combine  $P[event|M_1], ..., P[event|M_{10}]$  in a "sensible way"

## Sensible?

If you're averaging these models for your predictions, you can average these probabilities.

What I'm trying to avoid is the following procedure:

- 1. Build each model.
- 2. Average to get ensemble prediction
- 3. Look at distribution of predictions around average to determine uncertainty

And other similar mistakes. We are uncertain about the best model, and each model has beliefs about P[event]. We need to combine them well.

## Model Uncertainty

What if we only built one model?

How much do you trust it?

If you had a model telling you that tomorrow the stock price for Apple was guaranteed to go up 50%, does that tell you about Apple or about the model?

If a guy at a casino tells you he has a system, and you should bet it all on red for *certain* winnings, are you now certain of winnings if you bet it all on red? More broadly, we want to know about the ways in which our models might fail that are relevant.

So an important question is "how often does this model fail in ways relevant to this questions?"

For models that are reasonably certain about an event – this will dominate our uncertainty. E.g. we don't know the guy at the casino, so our difficulty trusting him dominates the chance that we don't win on red.

Why does this matter?

Models in big data settings can become reasonably certain about events not happening, or happening. They have a lot of data, they have a model, the two combine for a lot of certainty.

But the model being certain does not mean *you* need to be certain. *The data wants to trick you* 

And in competitive settings, like a casino, or the stock market, "the data wants to trick you" is less a metaphor than you might think.

Wrap up

#### Things to do

Homework 5 is due tomorrow.

See you Thursday.

# Bye!